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MODULE HANDBOOK

Module designation	<i>Vector Calculus</i>
Semester(s) in which the module is taught	5
Person responsible for the module	<i>Dra. Siti Aminah, M.Kom.</i>
Language	<i>Indonesian</i>
Relation to curriculum	<i>Compulsory</i>
Teaching methods	<i>Lecture</i>
Workload (incl. contact hours, self-study hours)	<i>(Estimated) Total workload: 6 hours/week x 14 weeks + 3.67 hours/week x 2 weeks = 91.34 hours.</i> <i>Contact hours: 2 hours (100 minutes lectures).</i> <i>Private study including examination preparation, specified in hours¹:</i> <i>2 hours structured activities and 2 hours individual study per week.</i>
Credit points	2 SKS (3.18 ECTS)
Required and recommended prerequisites for joining the module	<i>Calculus 2</i>

¹ When calculating contact time, each contact hour is counted as a full hour because the organisation of the schedule, moving from room to room, and individual questions to lecturers after the class, all mean that about 60 minutes should be counted.

<p>Module objectives/intended learning outcomes</p>	<p><i>After completing the course, students have the ability</i></p> <ol style="list-style-type: none"> 1. <i>to calculate operations on vector-valued functions, namely limit, differentiation, and integration.</i> 2. <i>to calculate velocity, acceleration, curvature, and acceleration components of vector-valued functions.</i> 3. <i>to describe vectors in a vector field.</i> 4. <i>to calculate divergence and curl in a vector field.</i> 5. <i>to calculate the line integral of a function along a curve.</i> 6. <i>to calculate the work done by a force field in moving a particle along a curve.</i> 7. <i>to use the theorem (conservative vector field) to prove that a vector field is conservative.</i> 8. <i>to use the (independence of path) theorem to prove that a line integral is the independence of path</i> 9. <i>to use Green's theorem to calculate the line integral on a closed curve.</i> 10. <i>to calculate the surface integral of a function.</i> 11. <i>to calculate the flux of a vector field passing through a surface using Gauss's theorem.</i> 12. <i>to calculate the flux circulation of a vector field around a surface using Stokes' theorem</i>
<p>Content</p>	<ol style="list-style-type: none"> 1. <i>Introduction of Vector (Vector and Vector Operations)</i> 2. <i>Vector-valued function</i> 3. <i>Curvilinear Motion</i> 4. <i>Curve</i> 5. <i>Acceleration component</i> 6. <i>Vector Fields</i> 7. <i>Divergence and Curl of Vector Fields</i> 8. <i>Line Integrals</i> 9. <i>Force Fields</i> 10. <i>Criteria for Independence of Path</i> 11. <i>Recovering a Function from Its Gradient</i> 12. <i>Conservation of Energy</i> 13. <i>Green's Theorem in the Plane</i> 14. <i>Vector forms of Green's Theorem</i> 15. <i>Evaluating Surface Integral</i> 16. <i>The flux of Vector Field through a surface</i> 17. <i>Surface area for a parametrized surface</i> 18. <i>Gauss's Theorem</i> 19. <i>Extensions and Application</i> 20. <i>Stokes's theorem</i> 21. <i>Examples and Applications</i>

Examination forms	<ol style="list-style-type: none"> 1. <i>Class activities : Written quiz, homework.</i> 2. <i>Mid-term examination</i> 3. <i>Final examination</i> 																				
Study and examination requirements	<p><i>The final mark will be weighted as follows:</i></p> <ol style="list-style-type: none"> 1. <i>Homework (20%).</i> 2. <i>Written Quiz (20%)</i> 3. <i>Mid-term examination (30%)</i> 4. <i>Final examinations (30%)</i> <p><i>To successfully pass the module it requires minimum 55% of the total mark.</i></p> <table data-bbox="628 658 903 1144"> <thead> <tr> <th><i>Mark</i></th> <th><i>Grade</i></th> </tr> </thead> <tbody> <tr> <td>85 – 100</td> <td>A</td> </tr> <tr> <td>80 – <85</td> <td>A-</td> </tr> <tr> <td>75 – <80</td> <td>B+</td> </tr> <tr> <td>70 – <75</td> <td>B</td> </tr> <tr> <td>65 – <70</td> <td>B-</td> </tr> <tr> <td>60 – <65</td> <td>C+</td> </tr> <tr> <td>55 – <60</td> <td>C</td> </tr> <tr> <td>40 – <55</td> <td>D</td> </tr> <tr> <td><40</td> <td>E</td> </tr> </tbody> </table>	<i>Mark</i>	<i>Grade</i>	85 – 100	A	80 – <85	A-	75 – <80	B+	70 – <75	B	65 – <70	B-	60 – <65	C+	55 – <60	C	40 – <55	D	<40	E
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Reading list	<ol style="list-style-type: none"> 1. <i>Varberg, Dale; Edwin J. Purcell; Steven E. Rigdon. Calculus, 9th Edition, Prentice Hall Inc, 2007</i> 2. <i>Spiegel, M.R, Vector Analysis, 2nd ed, Schaum’s Series, McGraw Hill, 1981.</i> 3. <i>Lecturer’s Handout</i> 4. <i>Videos</i> 																				